

Pure-Phase Homo- and Heteronuclear J Spectra with Tilted Cross Peaks for an Accurate Determination of Coupling Constants

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In a recent publication, we have shown how homonuclear broadband decoupling techniques can be combined with *active coupling-pattern tilting* (ACT) to efficiently measure and assign heteronuclear coupling constants (I). In this Communication, we demonstrate the same approaches to allow the acquisition of heteronuclear and homonuclear J spectra (2–5) with pure phases, tilted cross-peak patterns, and homonuclear I-spin decoupled signals in F_1 . Thus, I-spin couplings of interest can be accurately measured irrespective of further homonuclear couplings. As examples, the sequences are shown to yield vicinal silicon–proton couplings and a homonuclear J -resolved proton spectrum of a peptide NH region.

The basic pulse sequence for heteronuclear ACT- J spectroscopy is displayed in Fig. 1a. The phase cycle employed is listed in Table 1. As in conventional J -resolved experiments, the I-spin part of the sequence consists of a $\pi/2$ excitation pulse and a chemical-shift refocusing π pulse placed in the center of the time period between excitation and the beginning of signal detection. In order to refocus homonuclear I-spin coupling evolution in addition to chemical-shift evolution between points a and b , the π pulse is chosen to act either multiplet selectively or spectral-region selectively (6). In the latter case, the spins inverted by the π pulse should not exhibit mutual couplings in order for broadband homonuclear decoupling to be achieved (7). In place of the $\pi(I)$ pulse, a BIRD_x pulse (8, 9) will be useful when the heteronuclear couplings of interest all have the same magnitude and are large in comparison with homonuclear I-spin couplings. If the I spins to be inverted do not exhibit homonuclear couplings, e.g., they are isolated methyl groups, the π pulse may also be a hard pulse.

The first t_1 period of the sequence is a dummy evolution period which does not cause a modulation of the signal observed at the beginning of t_2 since both the homonuclear

I-spin coupling and the I-spin chemical-shift evolution are refocused at point b . During the two delays $\Delta/2$, the I-spin magnetization evolves under the heteronuclear coupling with $\sin(\pi J_{IS}\Delta)$ into antiphase $2I_y S_z$ terms (10). Components modulated with $\cos(\pi J_{IS}\Delta)$ are purged by an appropriate cycling of φ_3 , φ_4 , and the receiver phase (11, 12). In the subsequent t_1 period, the spin systems evolve under the heteronuclear coupling interaction. Again, the evolution under the I-spin Zeeman and homonuclear coupling interaction can be neglected because of their refocusing at point b . At the end of the t_1 period, the density-matrix components of interest are adequately described by

$$\sigma_b = 2I_y S_z \cos(\pi J_{IS} t_1) - I_x \sin(\pi J_{IS} t_1). \quad [1]$$

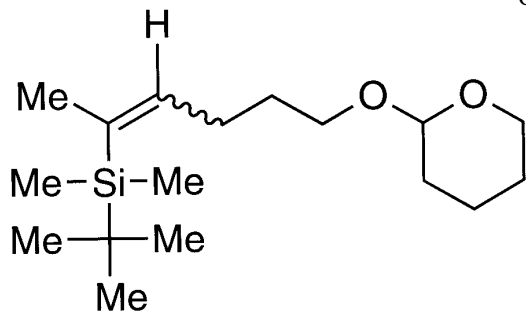
Just prior to acquisition the composite S pulse $\{(\pi/2)_x, (\pi)_{\varphi_5}, \pi(2)_x\}$ either inverts the sign of the antiphase terms ($\varphi_5 = -y$) (13) or leaves them unchanged ($\varphi_5 = -x$). By appropriate selection of the receiver phase (or of φ_1), it is thus possible to measure two data sets where either the antiphase cosine terms or the in-phase sine terms are summed up separately (14). With respect to their t_1 modulation, these two data sets represent two orthogonal components which allow the generation of pure-phase spectra by the method of States *et al.* (15). Due to the phase difference of the two components in t_2 , either φ_1 or the receiver phase needs to be incremented by $\pi/2$ for the second data set.

The cosine term in Eq. [1] represents a signal that displays the heteronuclear coupling in-phase in F_1 , whereas it is in antiphase in F_2 , as represented in Fig. 2a. In contrast, the phase-corrected imaginary part with the sine term represents an antiphase/in-phase signal with respect to F_1 and F_2 . Upon combination, an E.COSY-like tilted peak pattern is obtained which displays the active S,I coupling in antiphase in the projections of both dimensions (1). Since homonuclear I-spin decoupling is achieved in F_1 , this allows an accurate determination of the heteronuclear coupling.

As an example, consider the spectrum displayed in Fig. 3, which was measured with a mixture of the following (E) and (Z) isomers:

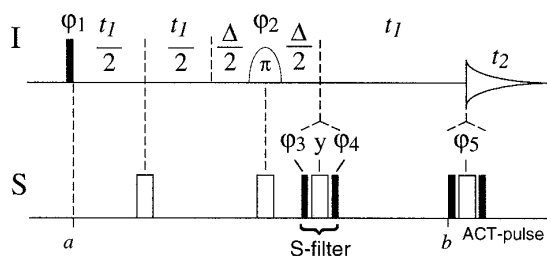
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Although even the central signal of each olefinic proton represents at least a quartet \times triplet, the only splitting observed in the F_1 dimension of the heteronuclear ACT- J spectrum is caused by the additional heteronuclear coupling of the ^{29}Si isotopomers. Due to the suppression of half of the cross-peak components, accurate values for the heteronuclear coupling can be read from slices extracted either along the F_1 or the F_2 dimension. Note that an exact measurement of the heteronuclear vicinal coupling constants from silicon-detected spectra is not easy and in many cases impossible, since the silicon nucleus is coupled to a large number of protons (16). In comparison with such experiments, the

a



b

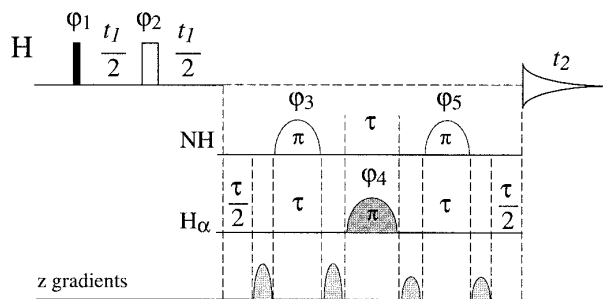


FIG. 1. Suggested heteronuclear (a) and homonuclear (b) ACT- J experiments. Narrow dark and wide unfilled bars represent $\pi/2$ and π pulses, respectively. Multiplet or spectral-region selective π pulses are represented by bell-shaped patterns. $\Delta/2$ in the isotopomer-selection part of sequence (a) is set to $(4J_{\text{SI}})^{-1}$. I-spin chemical-shift and homonuclear coupling evolution during all of the S-spin pulses are compensated for by allowing short delays between the two I-spin pulses. In sequence (b), τ corresponds to the duration of the spectral-region selective π pulses. The two field-gradient pulses in each of the first and second pulse pairs are identical; however, they are different for each pair.

TABLE 1
Phase Cycling Employed for the Heteronuclear ACT- J Experiment for Rare S Spins Depicted in Fig. 1a

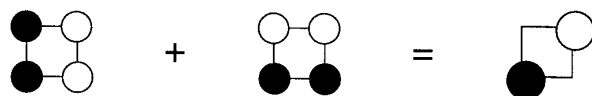
	Real part of t_1 modulation	Imaginary part of t_1 modulation
φ_1	$y, -y$	x, x
φ_2	$8x, 8y, 8(-x), 8(-y)$	
φ_3	$2x, 2(-x)$	
φ_4	$4x, 4(-x)$	
φ_5	$-x, -y$	
$\varphi_{\text{receiver}}$	$2x, 4(-x), 2x, 2(-x), 4x, 2(-x)$	

Note. The real and imaginary parts of the t_1 modulation are stored in separate memory locations.

sequence presented in Fig. 1a is more sensitive and yields more accurate values in addition to an unambiguous assignment of the I-spin coupling partner. We consider this experiment to be the method of choice for the measurement of a particular heteronuclear coupling of interest. If the X nucleus occurs with 100% abundance, the S-filter part of the sequence, including the $\Delta/2$ delays, as well as the dummy evolution period, except for a compensation of the duration of the S-spin pulses, can be omitted, which considerably simplifies the experiment. Related experiments without active coupling-pattern tilting are described in Ref. (17).

Active coupling-pattern tilting involves selective inversion of a coupling partner of the signals of interest. Because of the well-defined and separated spectral regions of NH and H_α resonances in peptide proton spectra, it should be feasible to obtain homonuclear pure-phase ACT- J spectra of the NH region. However, the correctness of the extracted coupling constants will critically depend on how well the α protons can be selectively inverted. A first implementation of such

a



b

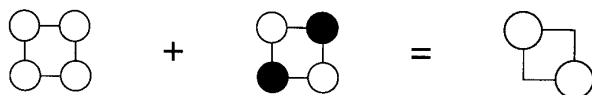


FIG. 2. Active coupling-pattern tilting as employed in this work. Reference (1) describes complementary tilting schemes. Scheme (a) was followed in the isotopomer-filtered heteronuclear experiment and scheme (b) in the homonuclear experiment.

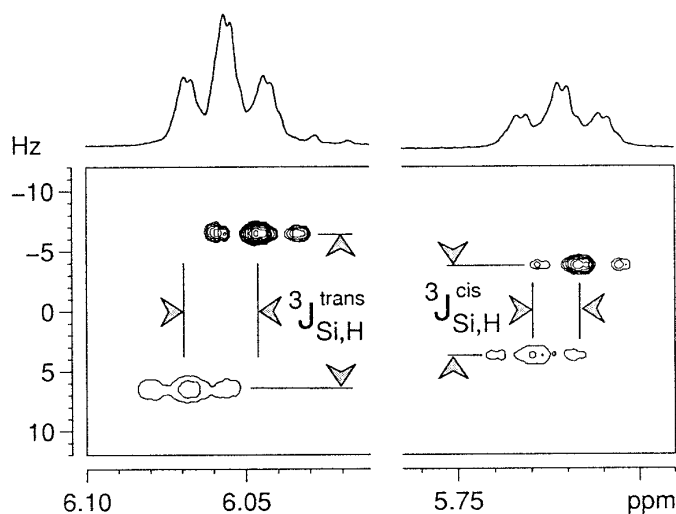


FIG. 3. Heteronuclear (^{29}Si , ^1H) ACT- J spectrum of an (E)/(Z) mixture of the compound displayed in the text. Proton chemical shifts along F_2 are correlated with heteronuclear couplings along F_1 . For negative peaks, only two levels are plotted. As expected, the vicinal coupling across the olefinic bond is larger when the coupling nuclei are in *trans* position (13.0 vs 7.6 Hz). The spectrum was obtained in 1 h from an approximately 0.12 M CDCl_3 solution (*E* isomer; the *E/Z* ratio was approximately 3:2) on a Bruker AMX-600 MHz spectrometer at 300 K, using a 5 mm inverse broadband probe. $\Delta/2$ was set to 25 ms. The spectral-region-selective π pulse to invert the olefinic protons had a 15 ms RE-BURP amplitude-modulation profile (21); 32 scans were coherently added for 16 complex points in t_1 . The spectral widths were 25 Hz and 2 ppm in F_1 and F_2 , respectively. The 1024×16 complex data matrix was zero-filled to 8192×256 complex points and weighted by exponential windows with a broadening factor of 0.3 and 0.2 Hz in F_1 and F_2 prior to Fourier transformation.

a sequence is displayed in Fig. 1b. In principle, a standard J -resolved sequence must only be supplemented with a selective-inversion pulse acting on the α protons just prior to acquisition in half of the experiments. However, this pulse cannot be short enough on the time scale of chemical-shift evolution of the NH protons for its duration to be neglected. Therefore, it is placed in the center of a refocusing excitation-sculpting sequence (18) with two gradient-assisted spin echoes (19, 20). The phase cycling employed is depicted in Table 2. In this experiment, the real part of the t_1 modulation represents an in-phase/in-phase cross-peak signal as represented in Fig. 2b. In contrast, the imaginary part represents an antiphase/antiphase pattern. Again, the phase of the imaginary part in t_2 must be corrected to obtain a standard complex data set in t_1 . In this case, this is achieved by a receiver phase shift of $\pi/2$.

As an example, Fig. 4a displays NH signals of the peptide gramicidin dissolved in $\text{DMSO-}d_6$. Note the tilt and the separation in F_1 of the two doublet components. The splitting of the Phe NH signal is determined to be 3.85 Hz, in contrast to a splitting of 3.49 Hz directly read from the proton 1D spectrum. When lowering the plot levels in the spectrum, the cross-peak components that should be suppressed be-

	Real part of t_1 modulation	Imaginary part of t_1 modulation
φ_1	x, x, y, y	
φ_2	$8y, 8(-x)$	
φ_3	$16x, 16y$	
$\pi(\text{H}_\alpha)$ pulse	No, yes	
φ_4	$4x, 4y$	
φ_5	$16(-x), 16(-y)$	
$\varphi_{\text{receiver}}$	$2(x, x, -y, -y),$ $2(-x, -x, y, y)$	$2(y, -y, x, -x),$ $2(-y, y, -x, x)$

Note. The selective π pulse on the α protons is applied in every second scan only. The real and imaginary parts of the t_1 modulation are stored in separate memory locations.

come also visible in Fig. 4b. This incomplete suppression is mainly attributed to a nonideal inversion of the H_α protons by the selective π pulse. The problem occurred with several different amplitude-modulation envelopes of this pulse. In addition, with our hardware we were not able to obtain satisfying results when working with peptides in 9/1 $\text{H}_2\text{O}/\text{D}_2\text{O}$ solutions.

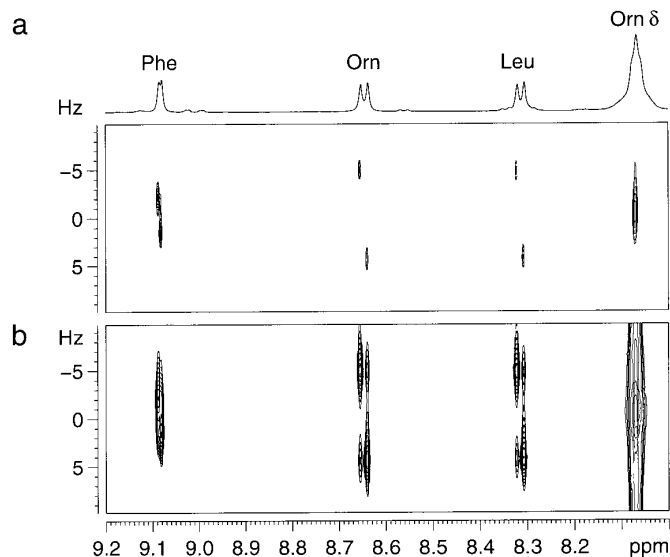


FIG. 4. Part of a homonuclear ACT- J spectrum of a 50 mM gramicidin S solution in $\text{DMSO-}d_6$. Proton chemical shifts and couplings along F_2 are correlated with homonuclear (NH, H_α) couplings along F_1 . The spectrum was measured in 1 h on a Bruker AMX-600 MHz spectrometer at 300 K, using a 5 mm ^1H , ^{13}C , ^{15}N triple-resonance probe equipped with an actively shielded z -gradient coil. τ was 2 ms. The spectral-region-selective π pulses had a RE-BURP amplitude-modulation profile (21) for the pulses acting on NH protons and a Gaussian profile for inversion of the H_α ; 32 scans were coherently added for 16 complex points in t_1 . The data matrix was zero-filled to 8192×128 complex points and weighted with a cosine window in t_2 and an exponential function with a line-broadening factor of 0.5 Hz in t_1 prior to Fourier transformation.

In conclusion, both of the ACT-*J* experiments presented were shown to yield pure-phase and tilted cross peaks. However, improvements will be necessary to make the homonuclear experiment a valuable tool in routine work. In contrast, the heteronuclear experiment presented provides very efficient access to accurate values of heteronuclear coupling constants of I spins that do not mutually couple and can be inverted by a selective π pulse. This sequence can be simplified to measure heteronuclear ACT-*J* spectra in cases with a 100% abundant S spin. On the other hand, pulsed field gradients might be introduced for less abundant S spins. The experiment will be especially useful when the heteronuclear coupling splitting in the I-spin spectrum is obscured by homonuclear couplings among the I spins.

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Note added in proof. The sensitivity of ACT spectroscopy as presented in this Communication and in HECADe experiments (*I*) can be improved by a factor of $\sqrt{2}$ by acquiring echo and antiecho data sets and processing them accordingly (22, 23). In the ACT-*J* spectroscopy, the last composite S pulse would be set to 0 for one data set and to π for the other data set. In HECADe experiments, the gradient echo selection would have to be combined with a 0 degree composite S pulse and the antiecho selection with a composite π pulse, or vice versa.

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